

CLAIM AMENDMENTS

This listing of claims will replace all prior versions and listings of claims in the application.

Listing of Claims

1. (currently amended) A method of ~~generating a linear transformation matrix A by a device for use in a symmetric-key cipher , the method including~~ comprising:

inputting block data into a processing apparatus;

creating a linear transformation matrix A with the processing apparatus by:

generating a binary $[n,k,d]$ error-correcting code, represented by a generator matrix $G \in Z_2^{k \times n}$ in a ~~standard~~ form $G = (I_k \parallel B)$, with $B \in Z_2^{k \times (n-k)}$, where $k < n < 2k$, and d is the minimum distance of the binary error-correcting code;

shortening said error-correcting code; and

extending matrix B with $2k-n$ columns such that a resulting matrix C is non-singular, and deriving the linear transformation matrix A from matrix C; and

transforming the input block data into diffused output block data with the processing apparatus by using the linear transformation matrix A.

2. (currently amended) A method as claimed in claim 1, wherein extending matrix B with $2k-n$ columns ~~includes~~ comprises:

in an iterative manner:

randomly generating $2k-n$ columns, each with k binary elements;

forming a test matrix consisting of the $n-k$ columns of B and the $2k-n$ generated columns; and

checking whether the test matrix is non-singular, until a non-singular test matrix has been found; and

using the found test matrix as matrix C.

3. (currently amended) A method as claimed in claim 1, wherein the operation step of deriving matrix A from matrix C ~~includes~~ comprises:

determining two permutation matrices $P_1, P_2 \in Z_2^{k \times k}$ such that all codewords in an $[2k, k, d]$ error-correcting code, represented by the generator matrix $(I_k \parallel P_1 C P_2)$, have a predetermined multi-bit weight; and

using $P_1 C P_2$ as matrix A.

4. (currently amended) A method as claimed in claim 3, wherein the input block data is m-bit sub-block data, and the processing apparatus executes cipher ~~includes~~ a round function with an S-box layer with S-boxes operating on the m-bit sub-blocks data, and the minimum predetermined multi-bit weight over all non-zero codewords equals a predetermined m-bit weight.

5. (currently amended) A method as claimed in claim 3, wherein determining the two permutation matrices P_1 and P_2 ~~includes~~ comprises iteratively generating the matrices in a random manner.

6. (currently amended) A method as claimed in claim 1, wherein the ~~cipher includes a round function operating on input block data is 32-bit block data blocks~~ and wherein the step operation of generating a $[n, k, d]$ error-correcting code ~~includes~~ comprises:

generating a binary extended Bose-Chaudhuri-Hocquenghem (XBCH) $[64, 36, 12]$ code; and

shortening ~~this~~ the XBCH $[64, 36, 12]$ code to a $[60, 32, 12]$ ~~shortened~~ XBCH code by deleting four rows.

7. (currently amended) A computer program product stored on a computer readable medium, wherein the program product is operative to cause the a processor to perform the method of claim 1.

8. (currently amended) A system for cryptographically converting an input data block into an output data block $[[;]]$, the input data blocks comprising n data bits $[[;]]$, the system ~~including~~ comprising:

an input for receiving the input data block;

a storage for storing a linear transformation matrix A , ~~generated according to the method of claim 1, created by:~~

generating a binary $[n,k,d]$ error-correcting code, represented by a generator matrix $G \in \mathbb{Z}_2^{k \times n}$ in a form $G = (I_k \parallel B)$, with $B \in \mathbb{Z}_2^{k \times (n-k)}$, where $k < n < 2k$, and d is the minimum distance of the binary error-correcting code;

shortening said error-correcting code; and

extending matrix B with $2k-n$ columns such that a resulting matrix C is non-singular, and deriving the linear transformation matrix A from matrix C ;

a cryptographic processor performing a linear transformation on the input data block or a derivative of the input data block using the linear transformation matrix A ; and

an output for outputting the processed input data block.

9-10. (cancelled)

11. (new) A system as claimed in claim 8, wherein extending matrix B with $2k-n$ columns comprises:

in an iterative manner:

randomly generating $2k-n$ columns, each with k binary elements;

forming a test matrix consisting of the $n-k$ columns of B and the $2k-n$ generated columns; and

checking whether the test matrix is non-singular, until a non-singular test matrix has been found; and

using the found test matrix as matrix C .

12. (new) A system as claimed in claim 8, wherein the operation of deriving matrix A from matrix C comprises:

determining two permutation matrices $P_1, P_2 \in Z_2^{k \times k}$ such that all codewords in an $[2k, k, d]$ error-correcting code, represented by the generator matrix $(I_k \parallel P_1 C P_2)$, have a predetermined multi-bit weight; and

using $P_1 C P_2$ as the matrix A.

13. (new) A system as claimed in claim 12, wherein the input block data is m-bit sub-block data, and the processing apparatus executes a round function with an S-box layer with S-boxes operating on the m-bit sub-block data, and the minimum predetermined multi-bit weight over all non-zero codewords equals a predetermined m-bit weight.

14. (new) A system as claimed in claim 12, wherein determining the two permutation matrices P_1 and P_2 comprises iteratively generating the matrices in a random manner.

15. (new) A system as claimed in claim 8, wherein the input data block is a 32-bit data block and wherein the operation of generating a $[n, k, d]$ error-correcting code comprises:

generating a binary extended Bose-Chaudhuri-Hocquenghem (XBCH) $[64, 36, 12]$ code; and

shortening the XBCH $[64, 36, 12]$ code to a $[60, 32, 12]$ XBCH code by deleting four rows.

16. (new) A method of linear transformation in a symmetric-key cipher comprising:

inputting block data into a processing apparatus;

creating a linear transformation matrix A with the processing apparatus by:

generating a binary $[n, k, d]$ error-correcting code, represented by a generator matrix $G \in Z_2^{k \times n}$ in a form $G = (I_k \parallel B)$, with $B \in Z_2^{k \times (n-k)}$, where $k < n < 2k$, and d is the minimum distance of the binary error-correcting code;

extending matrix B with $2k-n$ columns such that a resulting matrix C is non-singular;

determining two permutation matrices $P_1, P_2 \in Z_2^{k \times k}$ such that all codewords in an $[2k, k, d]$ error-correcting code, represented by the generator matrix $(I_k \parallel P_1 C P_2)$, have a predetermined multi-bit weight; and

using $P_1 C P_2$ as matrix A; and

transforming the input block data into diffused output block data with the processing apparatus by using the linear transformation matrix A.